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Mobile Crowd Sensing via Online Communities: Incentive Mechanisms for Multiple Cooperative Tasks

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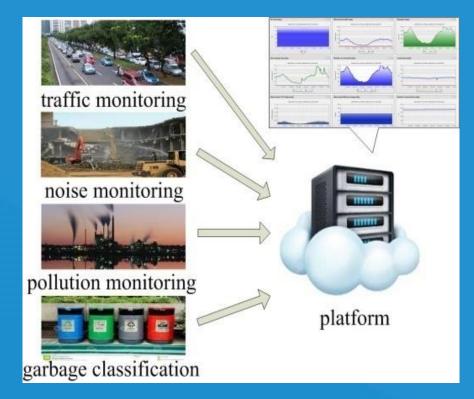
### **Mobile crowd sensing**



Accelerometer

light sensor Digital Compass Microphone Camera

> GPS proximity sensor













Multiple tasks without cooperation of users

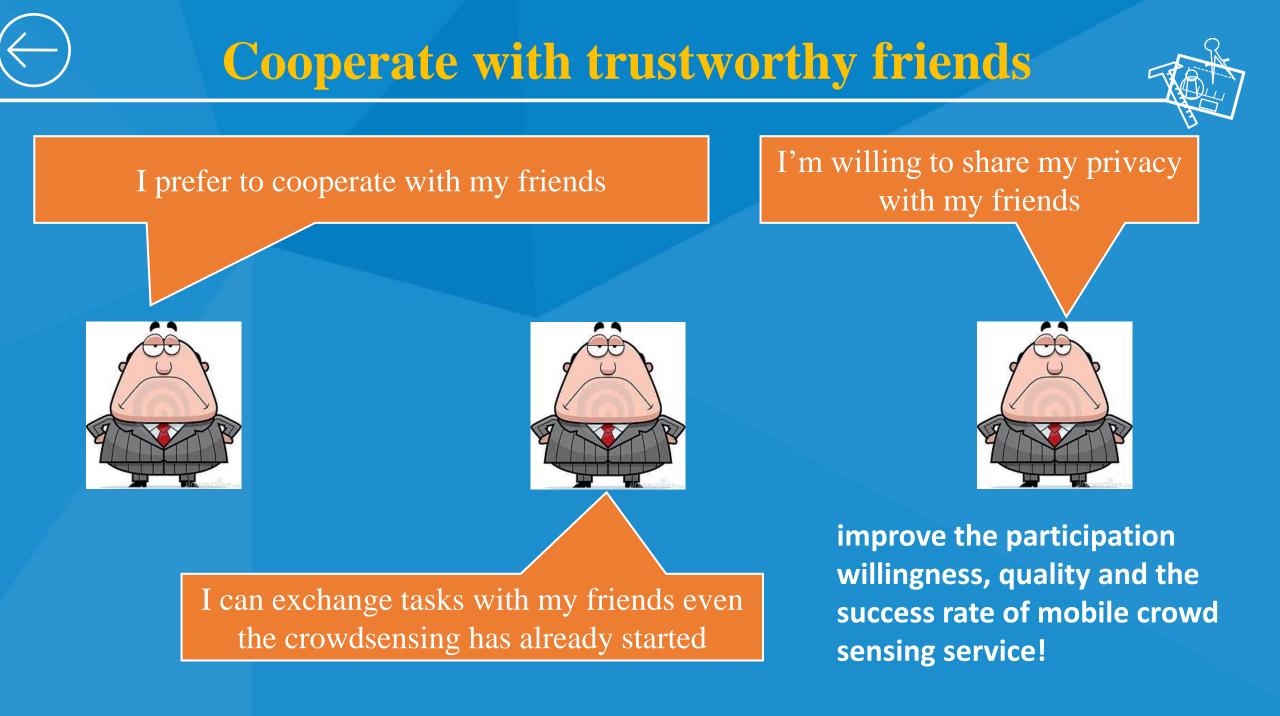
Yang[MobiCom'12], Koutsopoulos [Infocom'13], Feng[Infocom'14], Zhao[Infocom '14], Zhang[Infocom'15]

Single cooperative task

Xu[TWC2015], Xu [Wireless Networks2017], Xu[JCST2017]

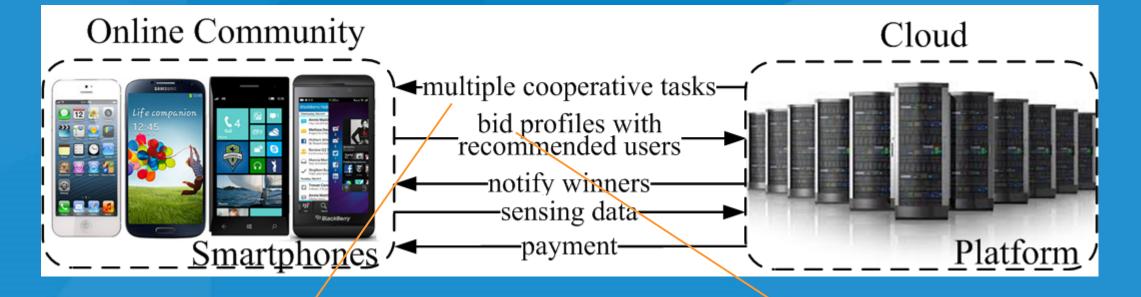
Multiple cooperative tasks without compatibility

Luo[ICC'16], Luo[Mobile Networks and Applications2016]



### **Crowdsensing Process**





each task is associated with a cooperative index: the least number of compatible users to perform the task

each consists of a task-bid pair and a compatible user set

compatible user set: a set of recommended users



# **Objective & Challenges**



designing truthful incentive mechanisms to minimize the social cost such that each cooperative task can be completed by a group of compatible users





Multi-bid model: Each user *i* submits a 2-tuple  $B_i = (\beta_i, \zeta_i)$ where  $\beta_i = \{\beta_i^1, \beta_i^2, ..., \beta_i^{k_i}\}$  is a set of task-bid pairs,  $\beta_i^j = (t_i^j, b_i^j), t_i^j \in T$ 

#### **Objective Function:**

$$\min\sum\nolimits_{\beta_i^j\in\beta_i\cap\beta_S}c_i^j$$

**Constraint:** 

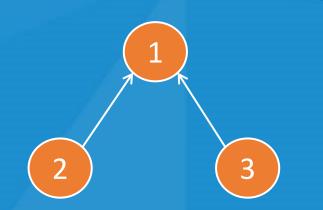
$$\sum_{\beta_i^j \in \beta_i \cap \beta_S, t_j = t_i^j} \left| \beta_i^j \right| \ge r_j, \forall t_j \in T$$



# **Compatibility Models**



### Weak Compatibility Model: depict the one-way preferences



construct a directed graph based on the claimed *compatible user set*.

Remove the directions of all edges

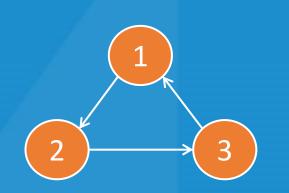
compute the connected components of the undirected graph



## **Compatibility Models**



### Medium Compatibility Model: depict the transitive two-way preferences



construct a directed graph based on the claimed *compatible user set*.

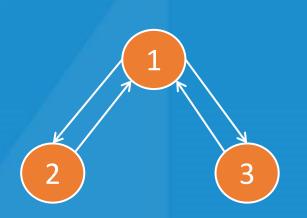
compute the strongly connected components of the directed graph

# $\overline{\bigcirc}$

# **Compatibility Models**



### **Strong Compatibility Model: depict the two-way preferences**



construct an undirected graph by adding the edge only if the two users are both in the claimed *compatible user set* of each other

compute the connected components of the undirected graph







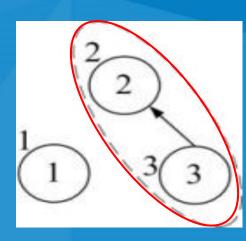
A two-step incentive mechanism for <u>Multiple</u> <u>Cooperative Tasks in the Multi-bid model</u>

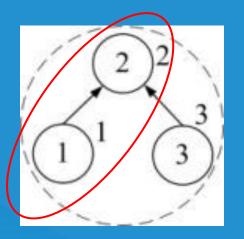
Step1: compatible user grouping divides the users into compatible user groups, in which each user is compatible with others

Step2: reverse auction select the winning task-bid pairs and determine the payment for each user



### A straightforward method: Grouping based on the compatible user sets

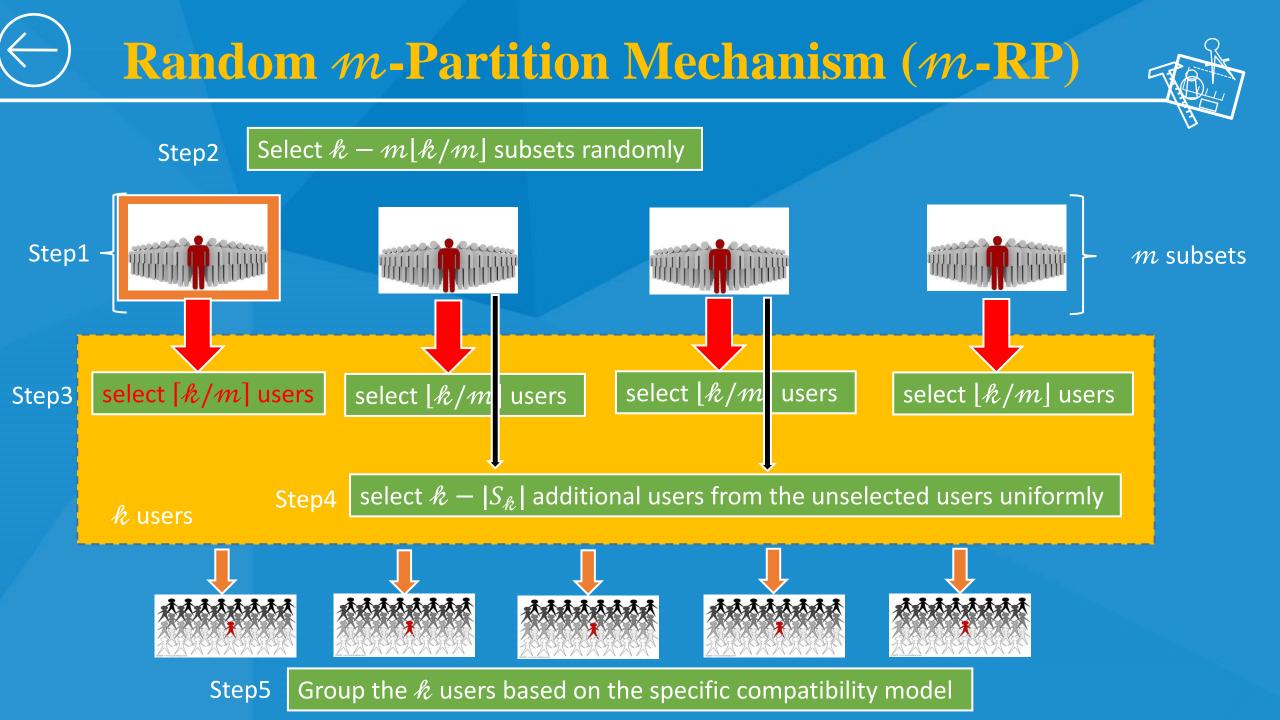




All users submit real compatible user sets

User 1 lies by submitting  $\zeta_1 = \{2\}$ 

This method leads untruthfulness of compatibility!









A two-step incentive mechanism for <u>Multiple</u> <u>Cooperative Tasks in the Multi-bid model</u>

Step1: compatible user grouping divides the users into compatible user groups, in which each user is compatible with others

Step2: reverse auction select the winning task-bid pairs and determine the payment for each user





#### Winner Selection

#### Payment Determination

For each task, process each compatible user group iteratively

In each compatible user group, select the task-bid pairs as winning task-bid pairs with minimum cost until the number of users reaches to  $r_i$ 

For each task, select the task-bid pairs with minimum cost among all compatible user groups







VCG payment rule: the difference between other users' minimum social cost with and without it

19 foreach 
$$i \in U$$
 do  $p_i \leftarrow 0$ ;  
20 foreach  $\beta_i^j \in \beta_s$  do  
21  $\left| p_i^j \leftarrow cost(\bigcup_{i \in U_G} \beta_i \setminus \{\beta_i^j\}) - (cost(\bigcup_{i \in U_G} \beta_i) - b_i^j);$   
22 end  
23 foreach  $i \in S$  do  $p_i = \sum_{\beta_i^j \in \beta_i \cap \beta_S} p_i^j;$ 



# Generalize to the single-bid model



Single-bid model: Each user *i* submits a triple  $B_i = (\beta_i, b_i, \zeta_i)$ , where  $\beta_i = \{t_i^1, t_i^2, ..., t_i^{k_i}\}$  is a set of  $k_i$  tasks

#### **Objective Function:**

$$\min\sum\nolimits_{i\in S}c_i^j$$

#### **Constraints:**

$$\sum_{i \in S, t_i^j \in \beta_i, t_j = t_i^j} \left| t_i^j \right| \ge r_j, \forall t_j \in T$$







The SOCUS problem in the Single-bid model is NP- hard since it is a generalization of the WSMC(Weighted Set Multiple Cover) problem

Step1: compatible user grouping *m*-RP

Step2: reverse auction use greedy method to select winners





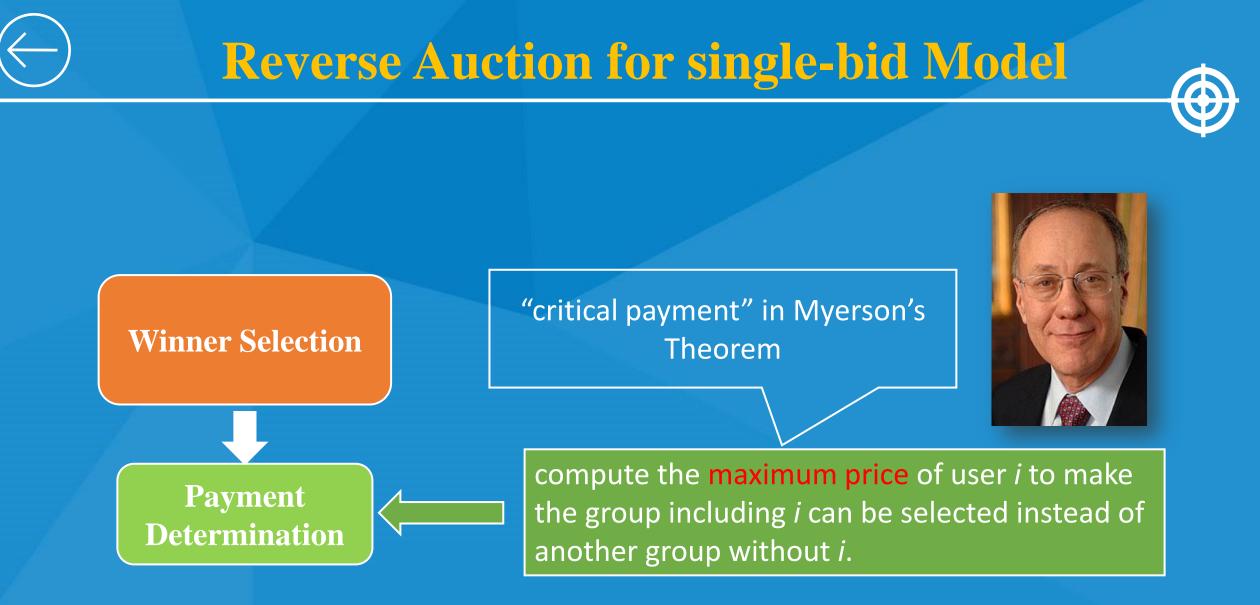
#### Winner Selection

#### Payment Determination

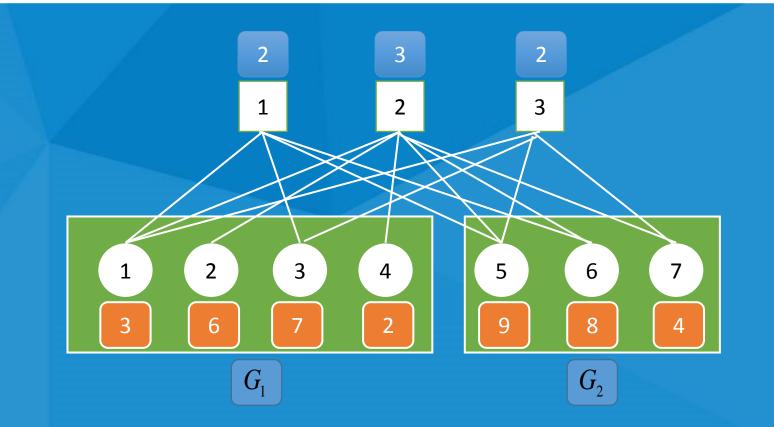
For each task, process each compatible user group iteratively

In each compatible user group, select additional users as winners with minimum cost until the number of users reaches to r<sub>i</sub>

For each task, select the additional winner set with minimum cost among all compatible user groups

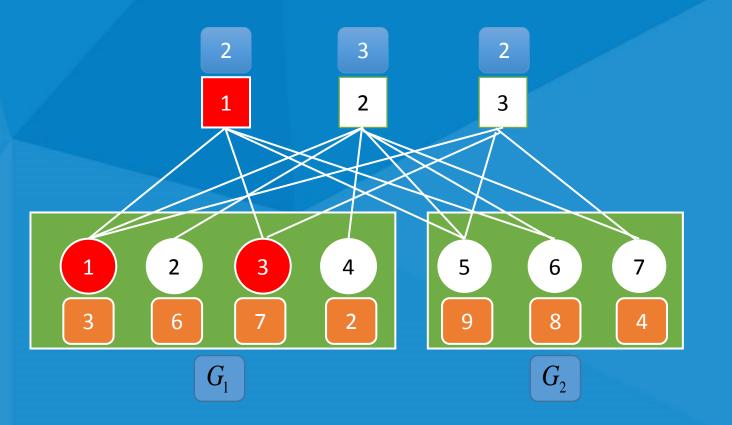






For task 1, 
$$S = \phi$$
,  $S_1' = \{1, 3\}$ ,  $\cos t_1^1 = b_1 + b_3 = 10$ ,  $S_2' = \{5, 6\}$ ,  $\cos t_2^1 = b_5 + b_6 = 17$ 

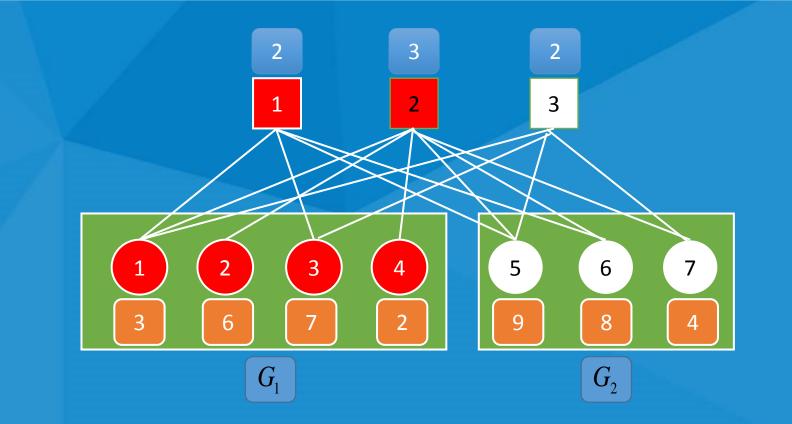




For task 2, 
$$S = \{1,3\}$$
,  $S_1' = \{2,4\}$ ,  $\cos t_1^2 = b_2 + b_4 = 8$ ,  $S_2' = \{5,6,7\}$ 

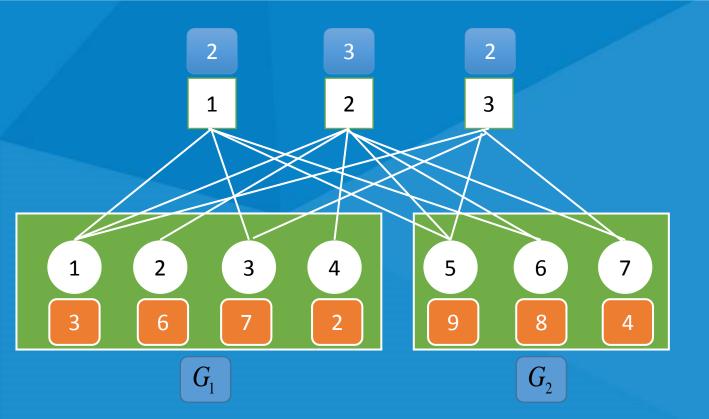
$$\cos t_2^2 = b_5 + b_6 + b_7 = 21$$





For task 3, 
$$S = \{1, 2, 3, 4\}$$
,  $S_1' = \phi$ ,  $\cos t_1^3 = 0$ ,  $S_2' = \{5, 7\}$ ,  $\cos t_2^3 = b_5 + b_7 = 13$ 





 $\begin{array}{l} p_1: \text{For task 1, additional winners are } \{5,6\}, p_1 = cost(\{5,6\})^1 - \left(cost(\{1,3\})^1 - b_1\right) = 10. \\ \text{For task 2, additional winners are } \{7\}, cost(\{1,2,4\})^2 > cost(\{7\})^2 \\ \text{For task 3, additional winners are } \emptyset, \ cost(\{1,3\})^3 > cost(\emptyset)^3 \\ \text{Thus, } p_1 = 10 \end{array}$ 





**Theorem 1.** *MCT-M is computationally efficient, individually rational, truthful and an optimal algorithm of SOCUS problem in the multi-bid model* 

**Theorem 2.** MCT-S is computationally efficient, individually rational and truthful in the single-bid model.



### **Performance Evaluation**



### benchmark algorithms: *Benchmark-M & Benchmark-S*

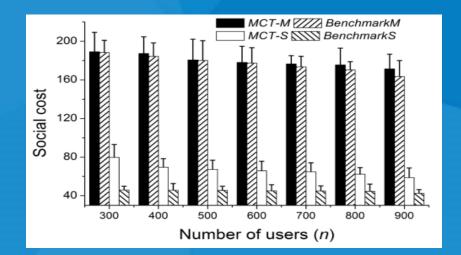
#### Data Set: Wikipedia voting data for adminship



### **Performance Evaluation**

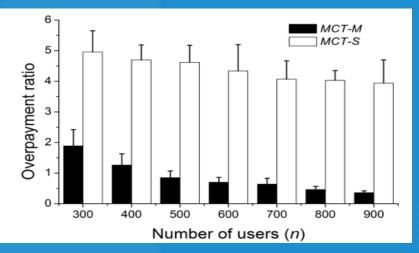


### A. Impact of the number of users



The social cost decreases with increasing user number since the platform can find more cheap users.

The social cost of *MCT-M* is very close to that of *BenchmarkM*. *MCT-S* outputs 48.9% more social cost than *BenchmarkS*.



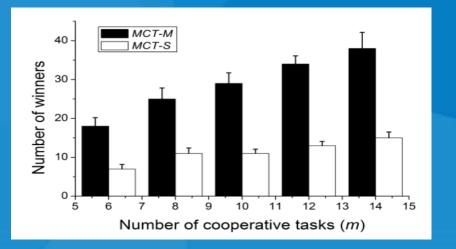
The overpayment ratio of MCT-M is much smaller than that of MCT-S because the competition of users in *MCT-M* is more than that of *MCT-S* 



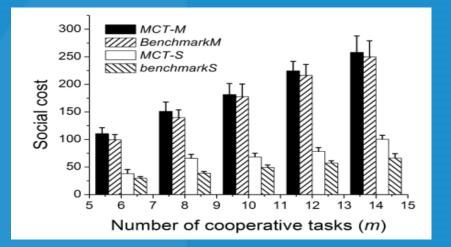
### **Performance Evaluation**



### **B. Impact of the number of tasks**



The winners of MCT-M are much more than that of MCT-S because in MCT-M, any user will be the winner if one of the taskbid pairs it submits is selected



Accordingly, the social cost of MCT-M is more than that of MCT-S

### Conclusion

We have designed the incentive mechanisms for the mobile crowd sensing system with multiple cooperative tasks.

We have presented two bid models and three compatibility models for this new scenario, and designed two incentive mechanisms: MCT-M and MCT-S to solve the SOCUS problem for the two bid models, respectively.

Extensive results are presented to verify our theoretical analysis.



# Thank You!



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